Characterizing Applications on the MTA2 Multithreading Architecture

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MTA Motivation

➡ Memory access latency

➡ Common approach: cache

Con:

– Leads to code transformations to increase likelihood of accessing data in cache

– Not all code can be made "cache friendly"

– Transformations may limit performance on other architectures (e.g., vector processors)

MTA Philosophy

➤ *Tolerate* memory access latency

➤ Instead of data caches to reduce latency of *some* accesses, use computation to hide "communication" (data transfer between memory and processor registers) for *all* accesses

➤ Problem: available overlap within one thread of execution is often too small to hide the entire memory access latency

➤ MTA solution: support enough concurrent threads of execution to hide the worst case memory access latency
  – When one thread issues a load instruction, execute instructions from other threads until load completes
  – Low-overhead switching between threads

MTA-2 Processor

➡ Compute nodes based around MTA processor

- Support for 128 concurrent instruction streams
- Switch between streams on each cycle
- 64-bit VLIW instruction
  - One fused multiply-add
  - One add or control
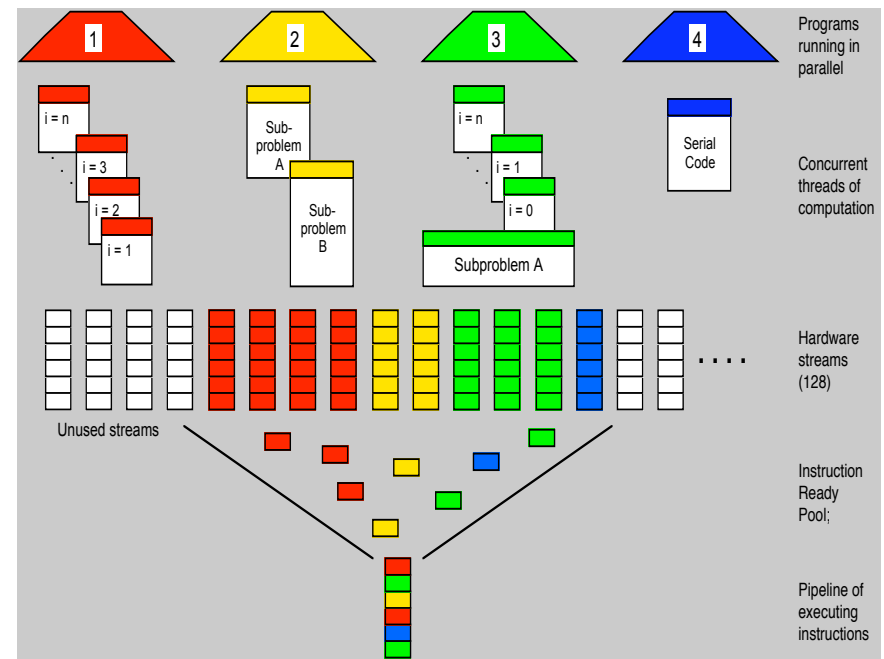 - One memory load or store
- 220 MHz

Image courtesy of Cray Inc.

MTA-2 System Organization

➤ **Compute nodes connected with interconnect network**

– "Modified Cayley" topology

– Also described as 3D torus with some links removed

➤ **Memory units distinct from compute nodes**

– "Dance hall" organization

– Every memory access goes across the interconnect

– Memory locations have associated "full/empty" bit

➤ **SPARC Solaris front-end system**

Programming the MTA-2

➡ Global shared memory model
  – Programs are collections of threads that access shared data
  – Synchronize using full-empty bits on memory locations

➡ Implicit and explicit expressions of parallelism
  – Loops (implicit)
    • Compiler automatically splits loop iterations across multiple threads
    • May require directives to specify absence of dependencies or best number of threads to use
  – Futures (explicit)
    • Somewhat like a function call, with code body and return value
    • Executed in a separate thread, can synchronize on return value
    • For task parallelism and recursion
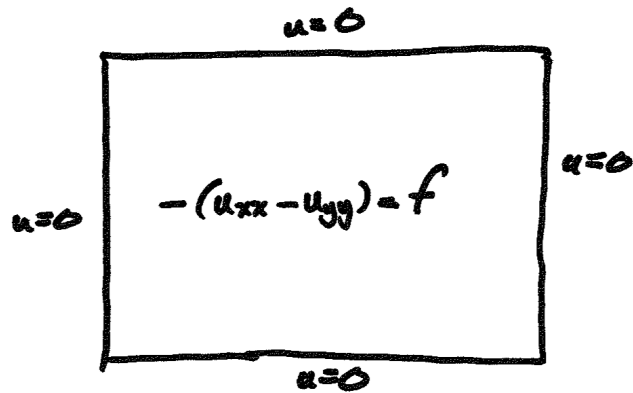   • Can use generic functions like readfe() for explicit synchronization between threads

MTA-2 Tools

➡ Traditional toolchain on front-end node

  – Compiler, assembler, linker

  – C, C++, Fortran (F77 and F90)

  – Cross-compilation, since front-end is SPARC Solaris

➡ Traceview provides insight into program's dynamic behavior

  – Graphical user interface showing program timeline with observed and theoretical maximum parallelism

  – Can provide detailed information (e.g., source code) for points along the timeline

➡ Canal (Compiler Analysis) provides insight into compiler transformations

  – Exposes whether compiler has parallelized a loop and how many threads it will request to execute it

  – Also explains why compiler didn't parallelize a loop

Programming MTA-2 for Performance

➡ Key to good performance is keeping processors saturated (I.e., each processor always has a thread whose next instruction can be executed)

➡ Potential usage scenario
1. Compile
2. Use canal tool to check that important loops were parallelized
   - If loops weren't parallelized, add directives or modify code to enable compiler to parallelize loops
   - Back to step 1.
3. Run instrumented code to produce program trace
4. Use traceview to identify situations where processors are under-utilized
   - If there are any ☺, add directives or modify code to expose more parallelism
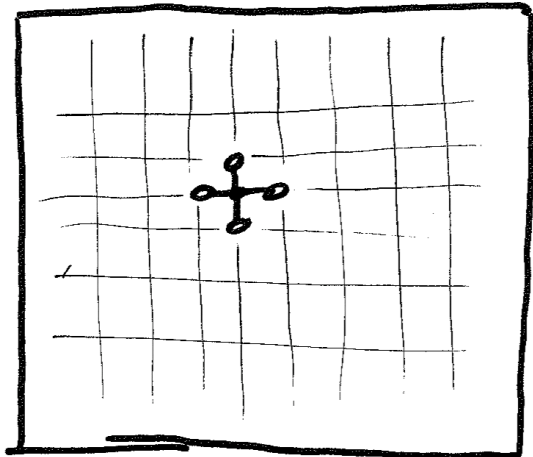   - Back to step 1

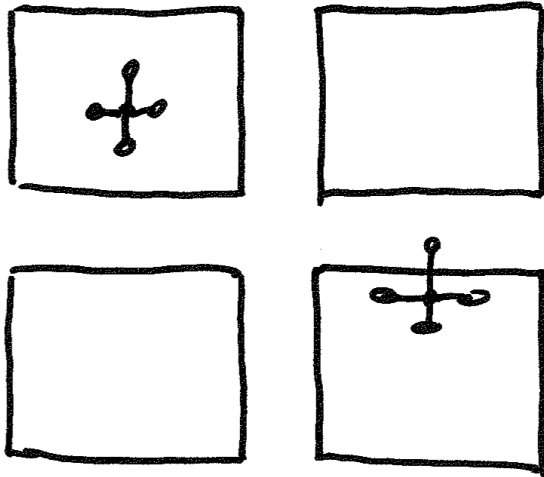# Continuous PDE to discrete form for Finite Difference Stencils

$u = 0$

$-(u_{xx} - u_{yy}) = f$

$u = 0$

$u = 0$

$u = 0$

```
DO J = 2, LCOLS+1
  DO I = 2, LROWS+1

    GRID2(I,J) = (
                      GRID(I-1,J) +
        GRID(I,J-1) + GRID(I,J) + GRID(I,J+1 ) +
                      GRID(I+1,J)  ) / 5

  END DO
END DO
```

Parallel Processing

Parallel Processing

MPI Code:

! Exchange $d\Omega$

! Compute

MTA-2 implementation

```
DO J = 2, LCOLS+1
  DO I = 2, LROWS+1

    GRID2(I,J) = (
                    GRID(I-1,J) +
         GRID(I,J-1) + GRID(I,J) + GRID(I,J+1 ) +
                    GRID(I+1,J)  ) / 5

  END DO
END DO
```

What is peak?

➡ Performance expectation:

$$F(\text{mach capability for our problem})$$

➡ Flops/MemRef * 220[MHz]

➡ Tools:
  – Traceview: shows where to look.
  – Canal (Compiler ANALysis) tool. Shows effects of work.

➡ *Feo's Rule*: Expect ~90+% of peak.

Expectation: CAnal

```
         |          DO I = 2, LROWS+1
         |            DO J = 2, LCOLS+1
26 SSPP  |              GRID2(I,J) =                           &
         |                 (            GRID1(I-1,J)+           &
         |               GRID1(I,  J-1)+GRID1(I  ,J)+GRID1(I,  J+1) +  &
         |                           GRID1(I+1,J)           ) &
         |                    * FIFTH
         |            END DO
         |          END DO
```
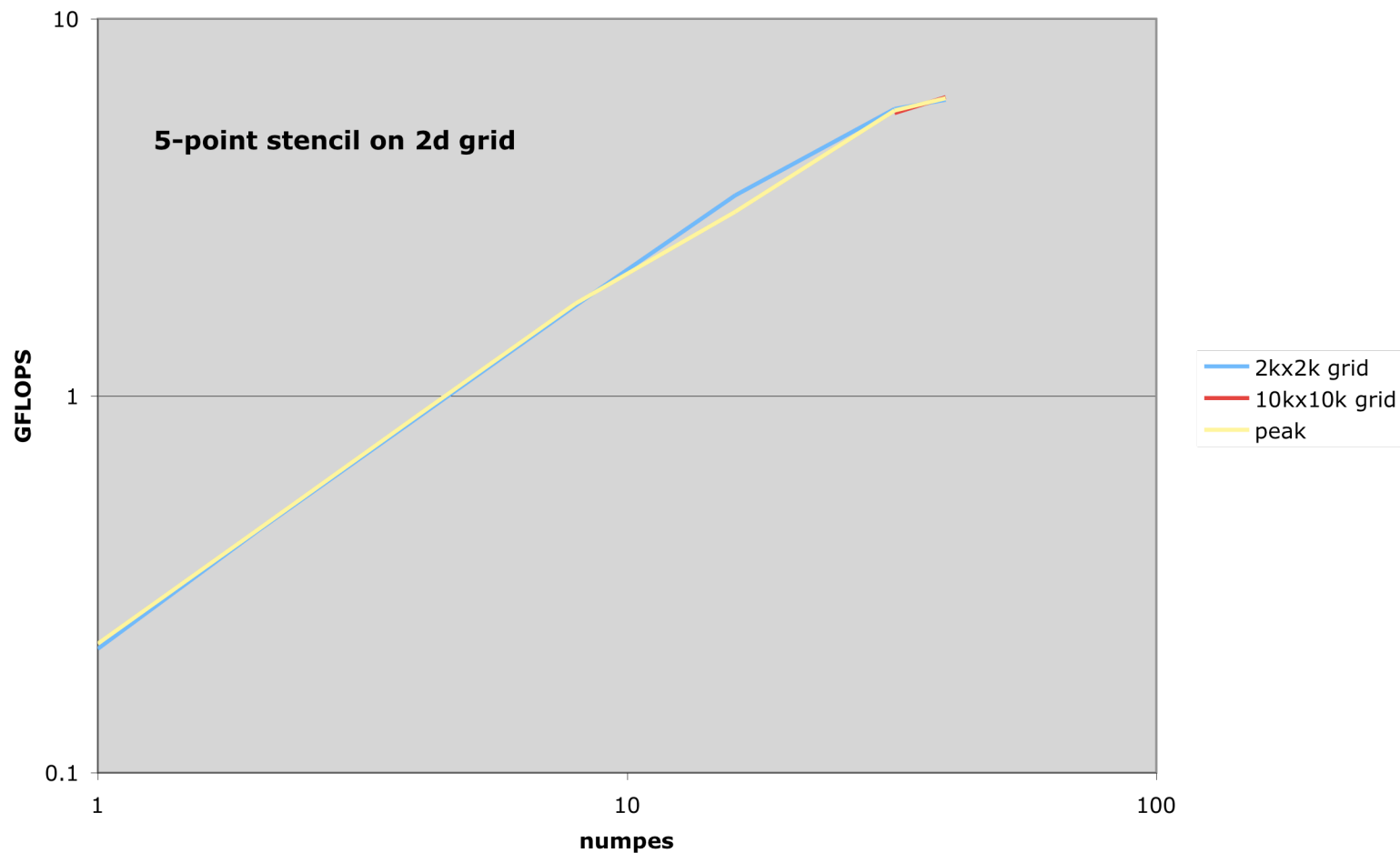
Loop 26 in MAIN__ at line 197 in loop 25
   Parallel section of loop from level 4
   Loop summary: 6 memory operations, 5 floating point operations
      8 instructions, needs 30 streams for full utilization
      pipelined

!$mta use 60 streams
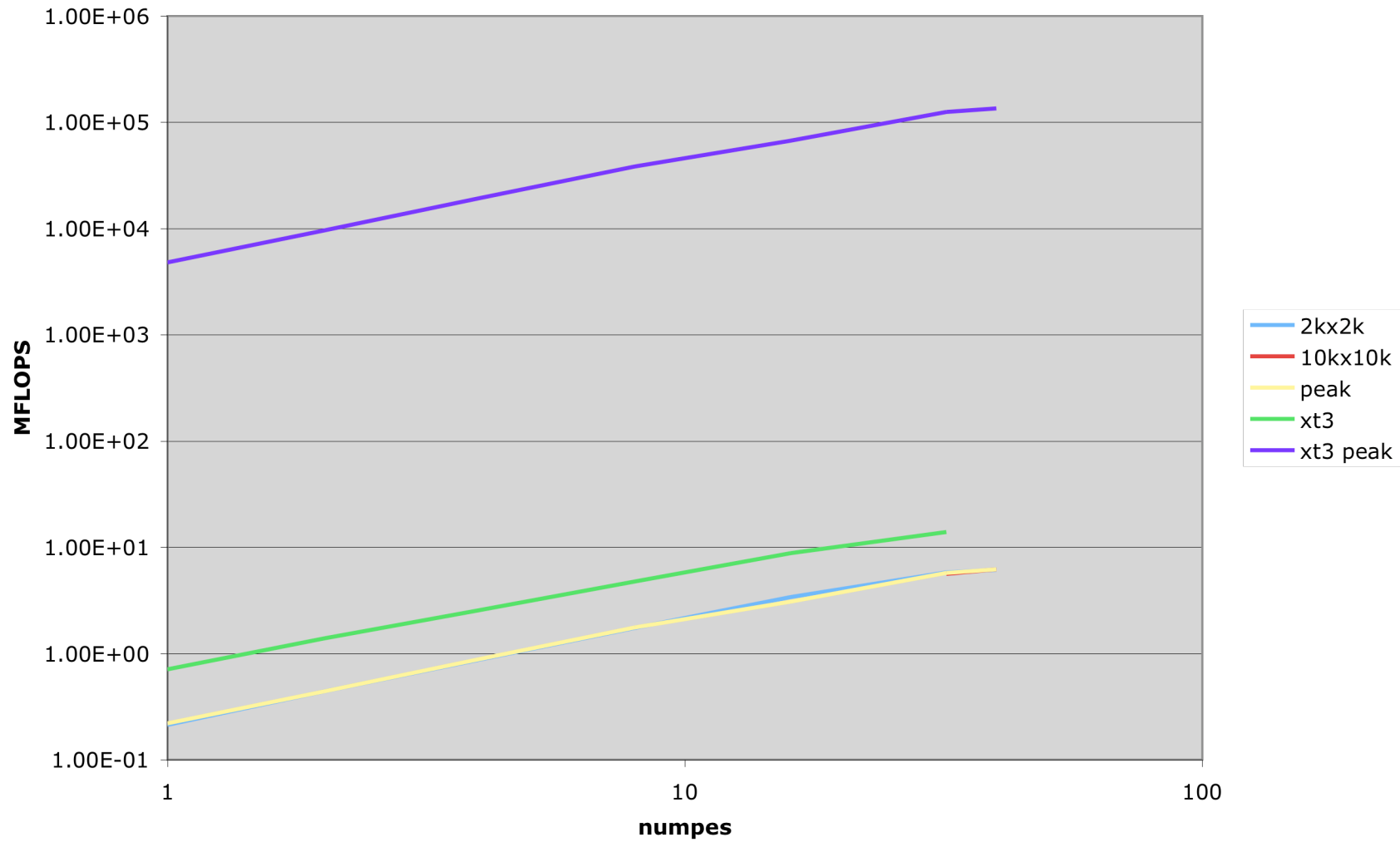
Performance:
5-pt difference stencil

Serial code!

Comparison with XT-3
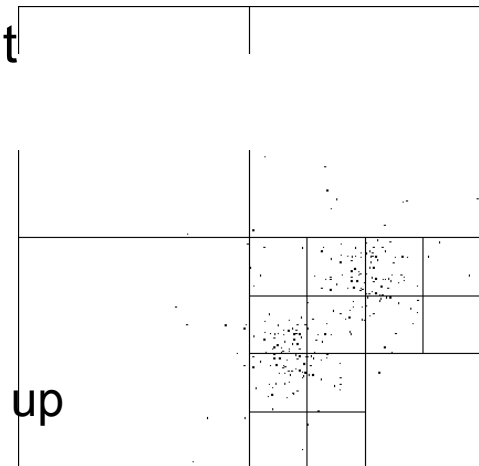
5-point stencil on 2d grid

Applications

➡ Fast Multi-pole

➡ Molecular dynamics

➡ Discrete even simulation

Fast Multipole Method

➡ Adaptive tree-code: solves $O(n^2)$ N-body problem in ~$O(n)$ time

➡ Attractive candidate for MTA:
   – Irregular references to global data structure
      • Tree has a single root…
   – Adaptive nature makes load-balancing difficult

➡ Algorithm:
   – Insert particles into adaptive tree
   – Tree traversals:
      • Create interaction lists
      • Upward pass, propagate summary information up
      • Interactions
      • Downward pass, propagate potentials down to particles

➡ ## Tree Traversals

– Significant parallelism obtained simply by parallelizing tree traversals

– Initial cut: use **future** construct for recursive traversals

  • Proved unnecessarily expensive

– More efficient solution: forall loop over nodes w/ additional synchronization when required
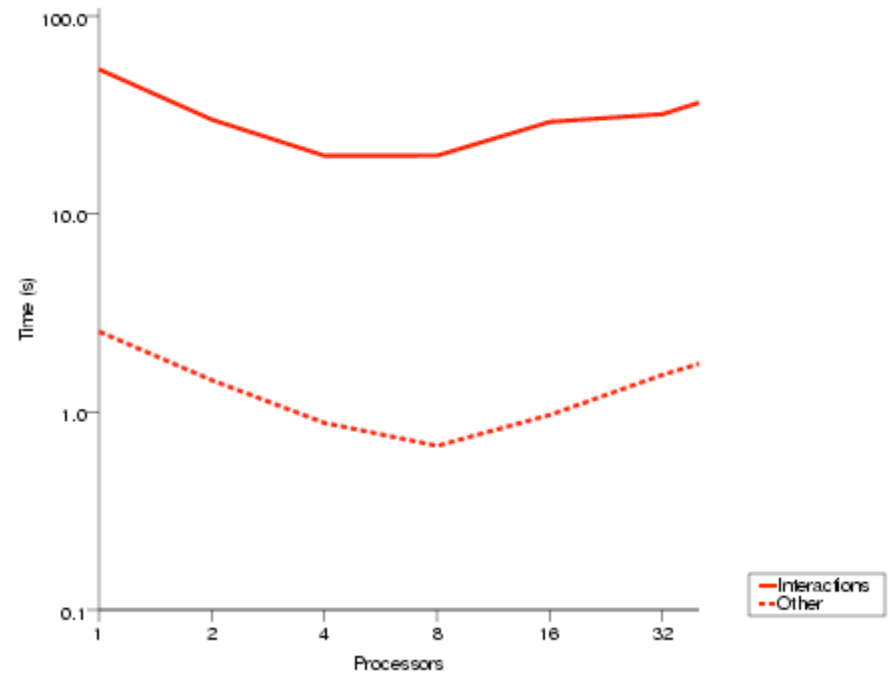
➡ ## Tree Construction

– Parallelize loop that inserts particles in tree

  • Substantial sync required to ensure nodes uniquely created

  • Final implementation likely only possible on MTA:

    – Use synchronizing reads rather than locks to get to leaf, *then* lock leaf; retry if leaf modified before locked

64k bodies / proc

64k bodies total

Decent weak scaling, but strong scaling needs work…

Improving Strong Scaling

➡ **Two related problems:**

1. Not enough work – proportional to # nodes…
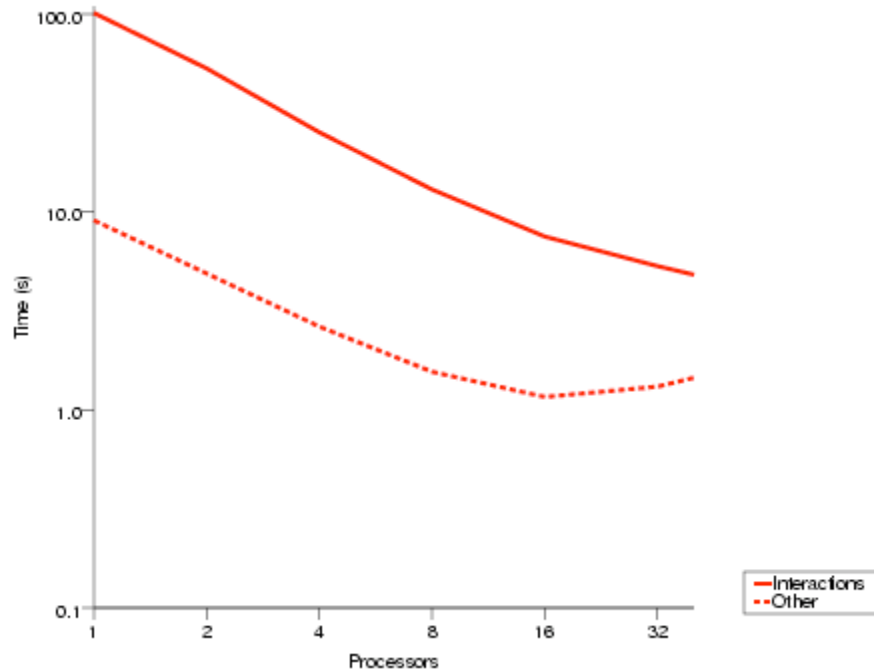2. Variance in amount of work per node

➡ **Two potential solutions:**

↔ Reduce "Maximum Bodies Per Node"

- ➡ Runtime parameter, determines depth of tree
- ➡ Fewer bodies/node implies deeper tree, more nodes, more work, less variance in amount of work
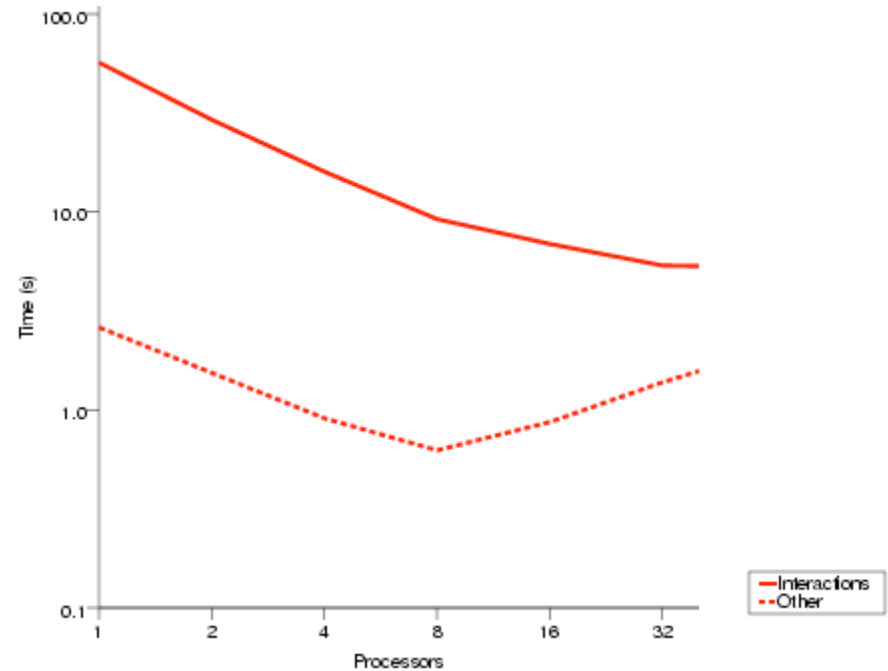
↕ "Crack open" Interaction computation

- ➡ Allow multiple threads to compute one node's interactions
- ➡ Implies significantly more synchronization: lock for every update of field being computed

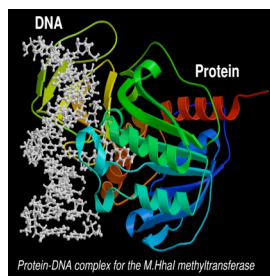# Improved Strong Scaling

Reduced bodies/node:
- from 128 to 2
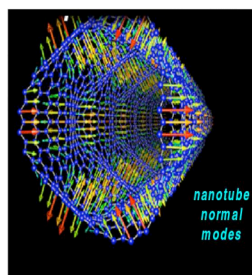- increases runtime, scales better

Cracked Interactions:
- back to 128 bodies/box
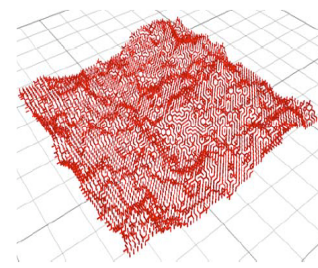- better than initial, but tails off (contention?)

Molecular Dynamics (MD) Simulation

Application areas of MD Simulations

Biology   **Chemistry**   **Materials/Nanotech**

➤ Time evolution—integration of Newtonian Equation of Motion: $F_i = m_i * a_i$. Force (F), mass (m) and acceleration (a) of a particle i.

➤ Computational complexity: N^2 (N—number of atoms) or $N * N_c$ (N_c—number of atoms within cutoff limit)

➤ Characteristics:
  – Computationally intensive calculations
  – Random memory access patterns
  – Dynamic runtime behavior

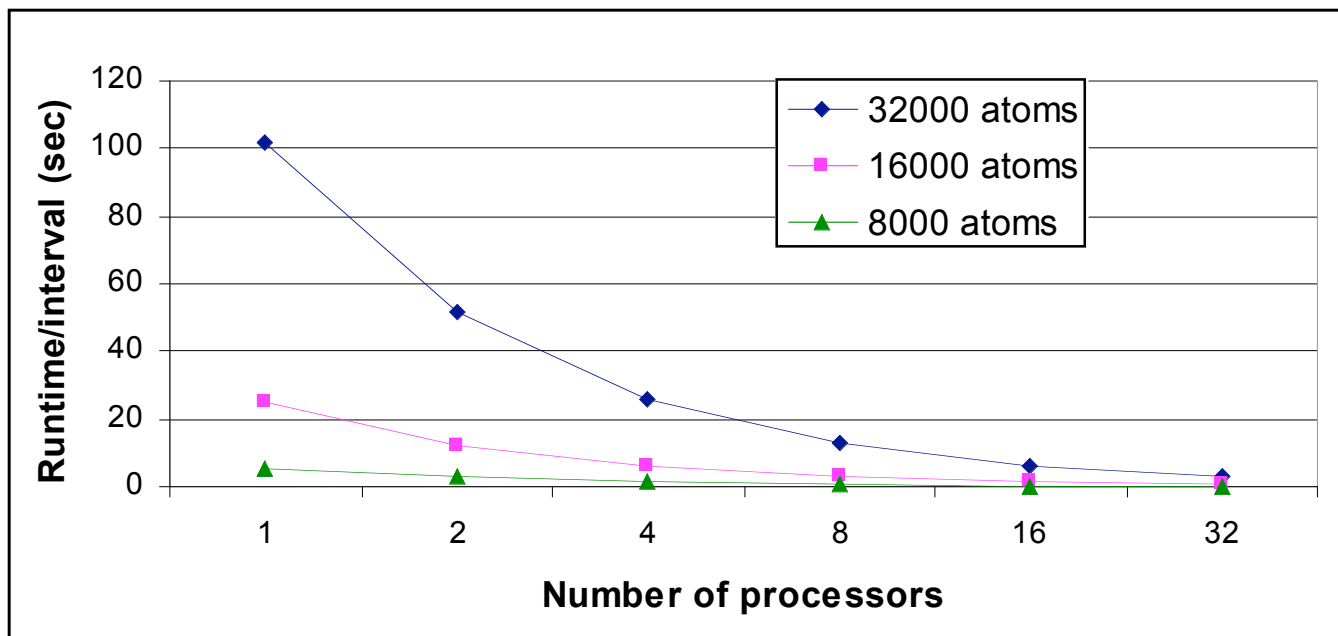# Implementation & Optimization of an MD Kernel on MTA2

➜ Our MD kernel contains force evaluation and integration routines

➜ Bonded forces are deterministic—straightforward to compute

➜ Simulation targets:

– Longer time-scale simulations (strong-scaling mode)

– Larger systems simulations (weak-scaling mode)

➜ Non-bonded forces modeled by LJ model

$$V(r) = 4\varepsilon \left[\left(\frac{\sigma}{r} \right)^{12} - \left(\frac{\sigma}{r} \right)^{6} \right]$$

```
1.   advance velocities
2.   calculate potential energy and forces
        for i=1 to N atoms
           for j=1 to N-1 atoms
              if (i & j in cutoff limits)
                 compute force
3.   complete velocities update
4.   calculate new kinetic and total energies
```
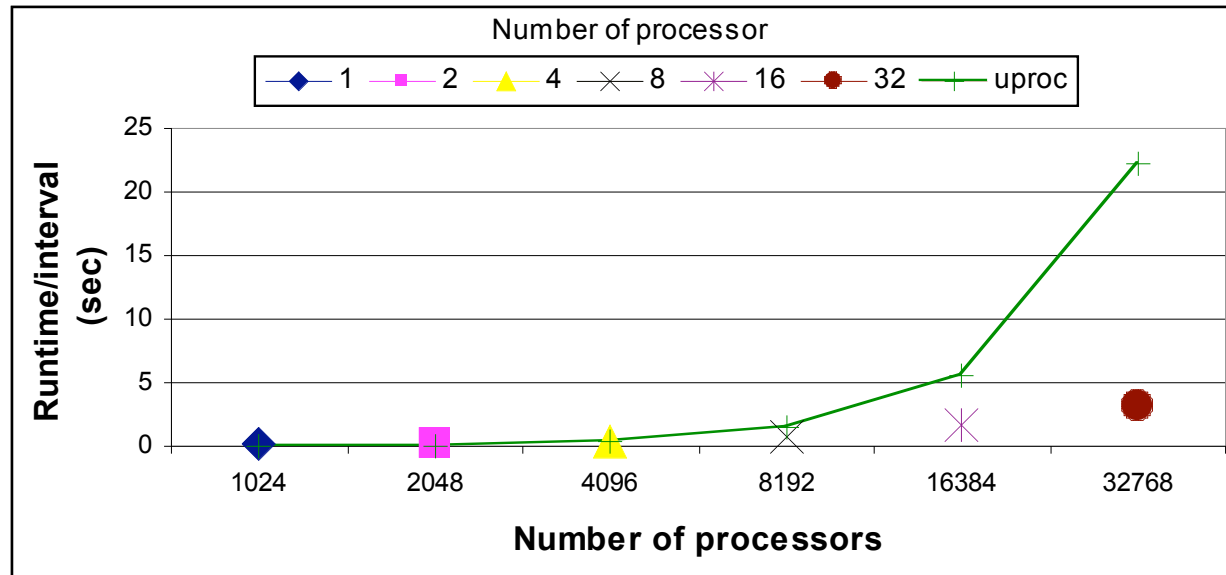
MTA2 compiler parallelized the main loops by moving a scalar calculation outside of the loop—very low implementation overhead
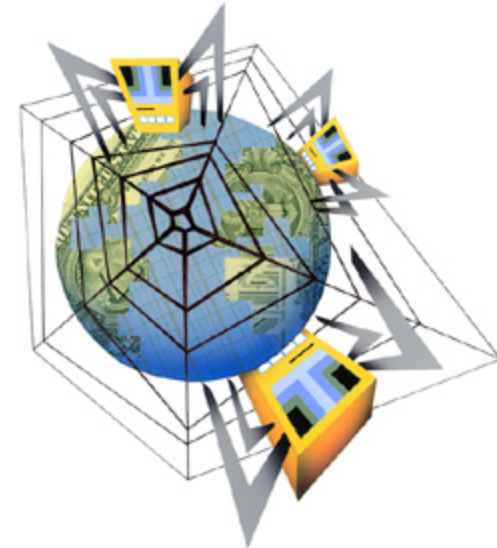
Performance Evaluation (MD Kernel)

➡ Strong scaling mode results—overall problem size fixed

➡ Ideal speedup (speedup = $time_{oneMTA2}/time_{nMTA2}$) for all three test cases (8000, 16000 and 32000 atoms) on up to 32 MTA2 processors

Number of processor

| ◆ 1 | ■ 2 | ▲ 4 | ✕ 8 | ✳ 16 | ● 32 | ╋ uproc |

Number of processors

➡ Weak Scaling mode—by increasing the problem size and number of MTA2 processors *2

➡ Not ideal—compute time increase with problem size due to load imbalances

➡ Significantly better than a microprocessor—computational complexity: N^2 (N—number of atoms) or $N*N_c$ (N_c—number of atoms in cutoff limit)

Discrete-event Simulation (DES)

➡ Modeling of time dependents systems

➡ Asynchronous system

➡ Time-stamped events (do not model a single time step)

➡ Inherently sequential—event queue is updated after processing an event

➡ Applications:

  – Internet modeling

  – Computer & telecommunication network modeling

  – Service systems modeling

  – Security networks

  – Real-time decision making

A Simplified DES Kernel

➤ Basically, a tree-based priority queue and two loops:
  – Loop 1: Insert N elements
  – Loop 2: Remove all N elements

➤ A straightforward, but *inefficient*, parallelization strategy:
  – Only permit one thread to insert/remove at a time

```
For 1 to MAX_ELEMENTS in Parallel
    Create an event with a random timestamp
    lock()
    Insert event in Priority Queue
    unlock()

For 1 to MAX_ELEMENTS in Parallel
    lock()
    Remove the event with minimum timestamp
    unlock()
```

➤ Ques   thin priority
queue enable parallel insertions/removals? *Profitably*??

MTA PQ Implementation

➡ **Priority Queue Insert**
- Sequential:
  - Add element as binary tree leaf
  - Move up tree, SWAP()'ing w/ parent, until > parent
- Parallel:
  - Atomic fetch_add_int() to find leaf in which to add element
  - Lock child and parent before SWAP()…
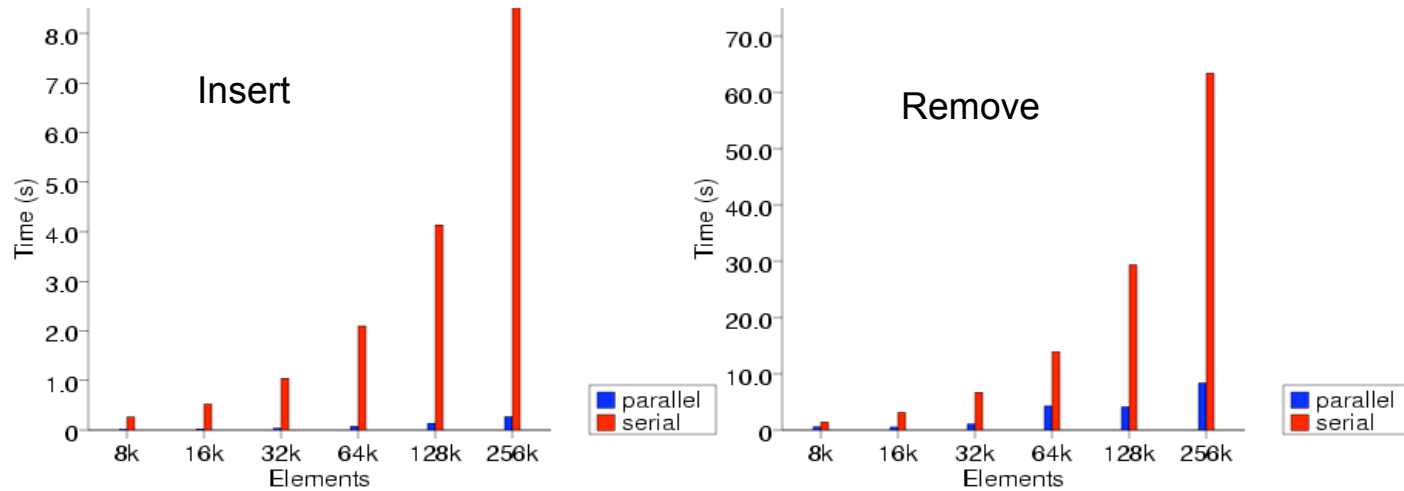
➡ **Priority Queue Remove**
- Sequential:
  - Remove root, move leaf to root
  - Move down tree, SWAP()'ing w/ smallest child, until both children >
- Parallel:
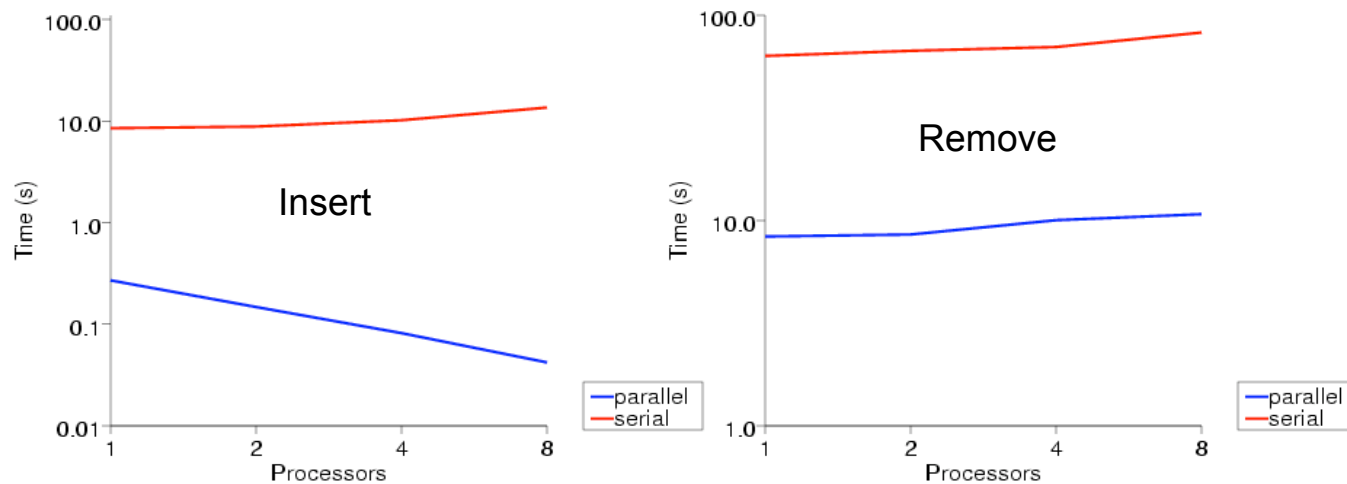 - Atomic fetch_add_int() to find leaf to move
  - Lock root and leaf before removal/move
  - Lock parent and each child before moving down

Single processor, multiple element counts:

Insert

Remove

Multiple processors, single element count (256K):

Insert

Remove

Conclusions

➡ **Answer to our question:**

- YES, PQ insertions and removals can be done in parallel

- Insert - surprisingly large amount of parallelism available

- Remove - definite benefit for 1p, but currently too much synchronization to be scalable

  - More scalable as number of elts increases?

  - More efficient use of locks possible?

➡ **Other areas for investigation:**

- More difficult proposition: can Inserts and Removes occur at the same time?

- Priority queue might not be the best choice of data structure for DES on the MTA…others?

Acknowledgements