

Scalable High-Fidelity Simulation of Turbulence With **NEKO** Using Accelerators

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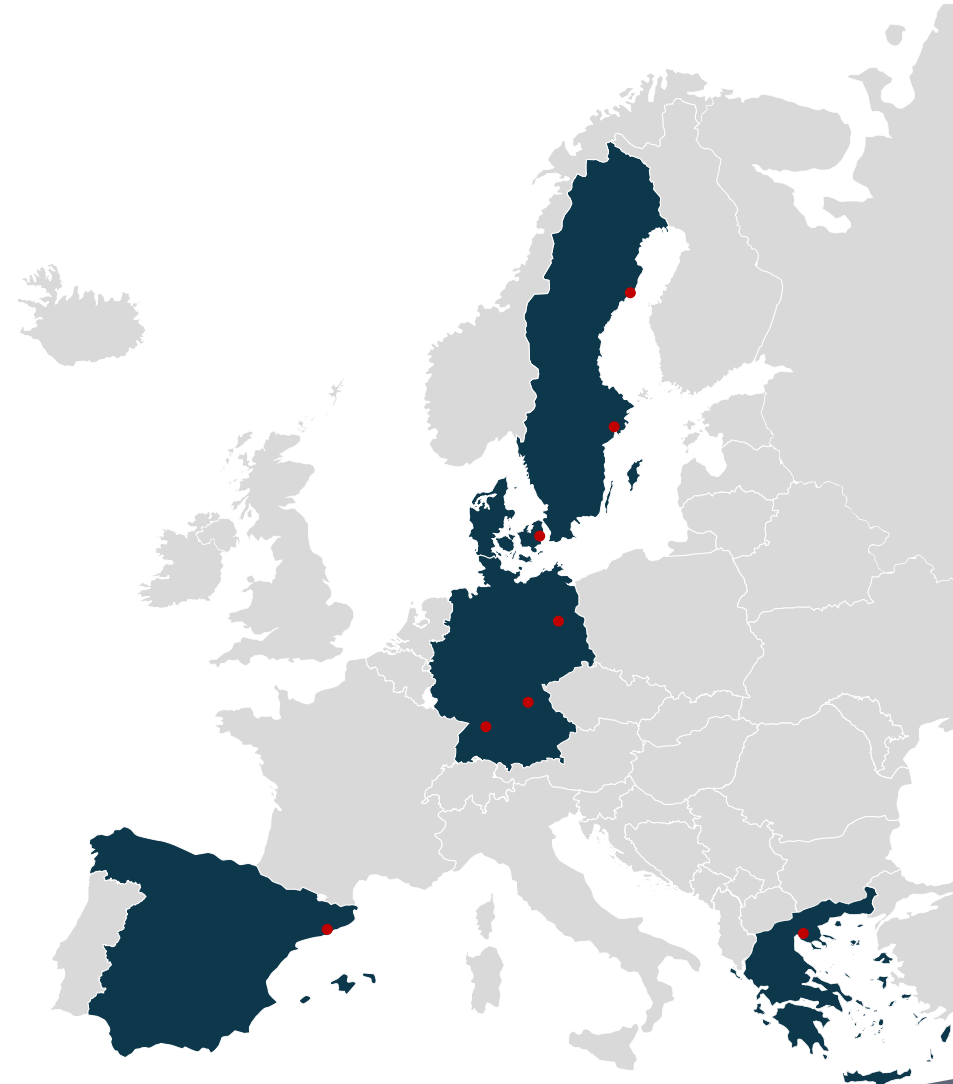
Centre of Excellence in Exascale CFD

CEEC

Centre of Excellence in Exascale CFD

The main goal of CEEC is to address the extreme-scale computing challenge to enable the use of accurate and cost-efficient high fidelity computational fluid dynamics (CFD) simulations at exascale

- Implement **exascale-ready workflows** for addressing grand challenge scientific problems
- Develop **new or improved algorithms** that can efficiently exploit exascale systems.
- Significantly improve **energy efficiency** of simulations
- Demonstrate workflows on **lighthouse cases** relevant for both academia and industry



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Introduction

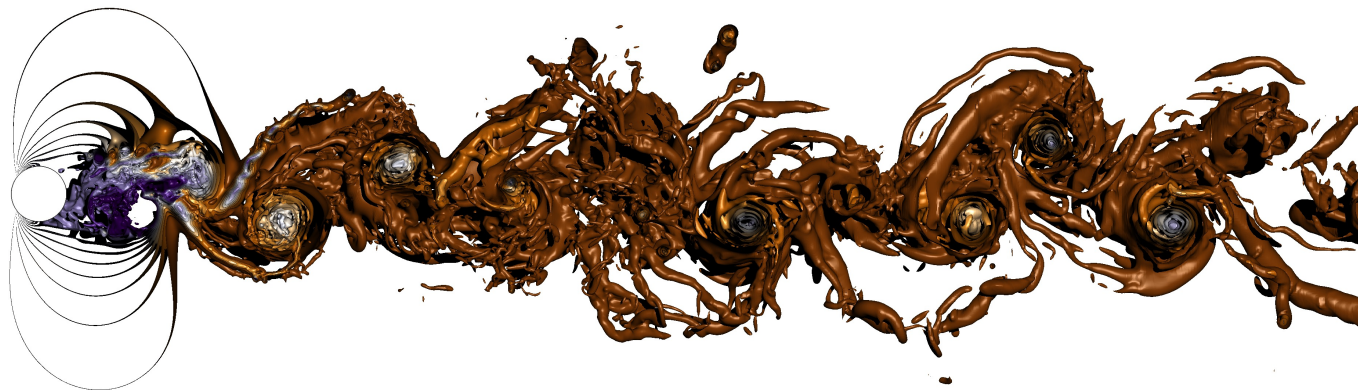


- Exascale will require either **unreasonable large problem** sizes or **significantly improved efficiency** of current methods
 - Finite-Volume, LES of full car on the entire K computer (京) required **more than 100 billion grid points** to run efficiently
 - What problem size is needed to fill the 309 PFlop/s LUMI...
- High-order methods
 - Attractive numerical properties, **small dispersion** errors and more "accuracy" per degree of freedom
 - Better suited to take advantage of **modern hardware** (accelerators)

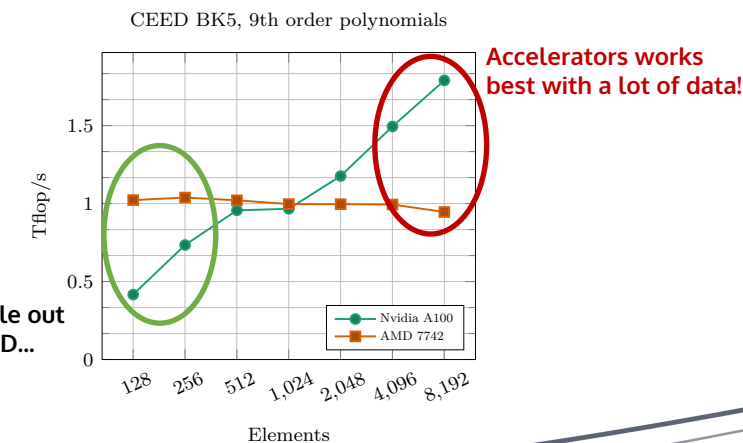
京: 82944 nodes, 663552 Cores, 10 PFlop/s



Dardel: 56 nodes, 448 MI250X GCDs, ≈ 10 PFlop/s

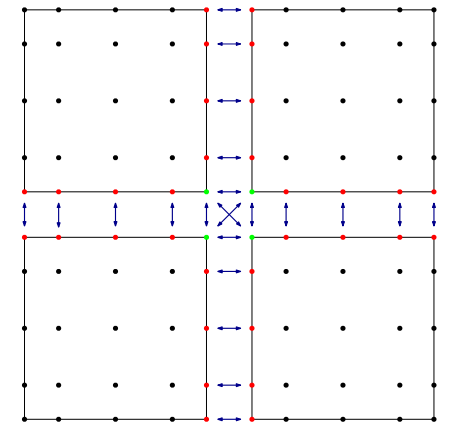
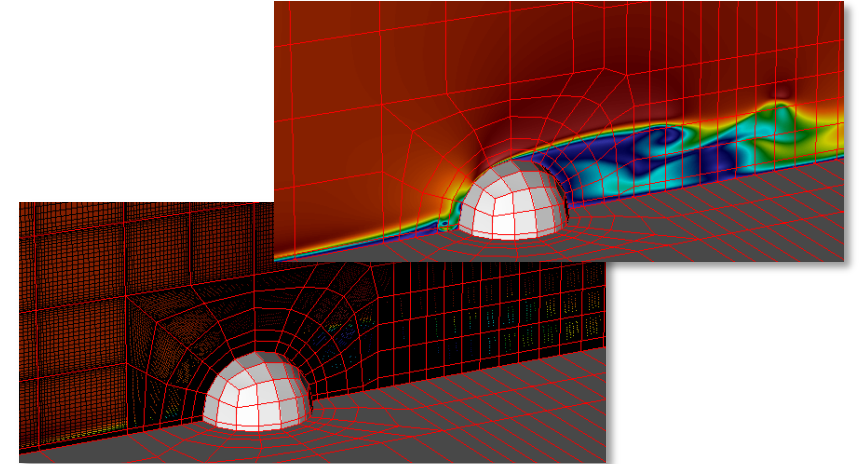


...but we rather scale out our problems in CFD...



Spectral Elements

- Finite Elements with high-order basis functions
 - N -th order Legendre-Lagrange polynomials $l_i(\xi)$
 - Gauss-Lobatto-Legendre quadrature points ξ_i
 - Fast tensor product formulation
 - $u^e(\xi, \eta, \gamma) = \sum_{i,j,k}^N u_{i,j,k}^e l_i(\xi) l_j(\eta) l_k(\gamma)$
 - High-order at low cost! (**Level 3 BLAS!**)
- Too expensive to assemble matrices
 - Element stiffness matrices $A_{i,j}^k$ with $\mathcal{O}(N^6)$ non-zeros
- Matrix free formulation, key to achieve good performance in SEM
 - Unassembled matrix $A_L = \text{diag}\{A^1, A^2, \dots, A^E\}$ and functions $u_L = \{u^e\}_{e=1}^E$
 - Operation count is **only $\mathcal{O}(N^4)$ not $\mathcal{O}(N^6)$**
 - Boolean gather/scatter matrix Q^T and Q
 - Ensure continuity of functions on the element level $u = Q^T u_L$ and $u_L = Qu$
- Q nor Q^T formed, only the action QQ^T is used
 - Matrix-vector product $w = Au \Rightarrow w_L = QQ^T A_L u_L$



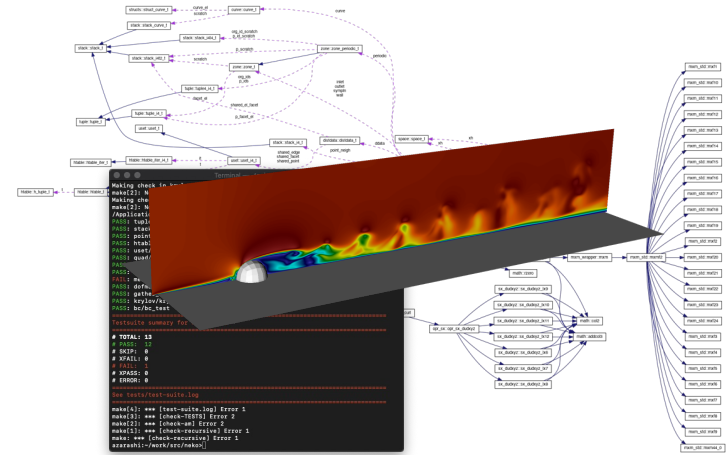
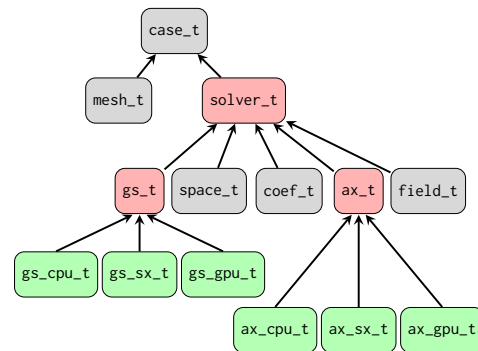
Portable Spectral Element Framework **NEKO**

- High-order spectral element flow solver
 - Incompressible Navier-Stokes equations
 - Matrix-free formulation, **small tensor products**
 - **Gather-scatter** operations between elements

- Modern **object-oriented** approach (Fortran 2008)

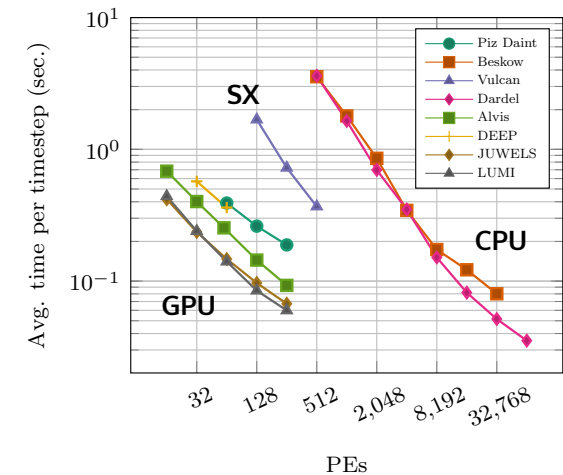
```
! Base type for a matrix-vector product providing Ax
type, abstract :: ax_t
contains
  procedure(ax_compute), nopass, deferred :: compute
end type ax_t
```

```
! Abstract interface for computing Ax
abstract interface
  subroutine ax_compute(w, u, coef, msh, Xh)
  implicit none
  type(space_t), intent(inout) :: Xh
  type(mesh_t), intent(inout) :: msh
  type(coef_t), intent(inout) :: coef
  real(kind=dp), intent(inout) :: w(:,:,:)
  real(kind=dp), intent(inout) :: u(:,:,:)
  end subroutine ax_compute
end interface
```



- Various hardware-backends
 - CPUs, GPUs down to exotic vector processors and FPGAs
 - **Device abstraction layer** for accelerators (CUDA/HIP/OpenCL)
- Modern Software Engineering (pFUnit, ReFrame, **Spack**)

Neko, Taylor-Green vortex, $Re = 5000$



```
> spack install neko+cuda
```



Device Abstraction Layer



How to interface Fortran with accelerators?

Method	Portability	Performance	Programmability
OpenACC	😞	😞	😊 / 😞
OpenMP	😞	😞	😊 / 😞
CUDA Fortran	😞	😎	😎
Native	😊	😎	😎

```
src/
|-- math
    |-- bcknd
        |-- cpu
        |-- device
            |-- cuda
            |-- hip
            |-- opencl
        |-- sx
        |-- xsmm
```

1. Allocate
2. Copy
3. Associate

```
!> Enum @a hipError_t
enum, bind(c)
  enumerator :: hipSuccess = 0
  ...
end enum

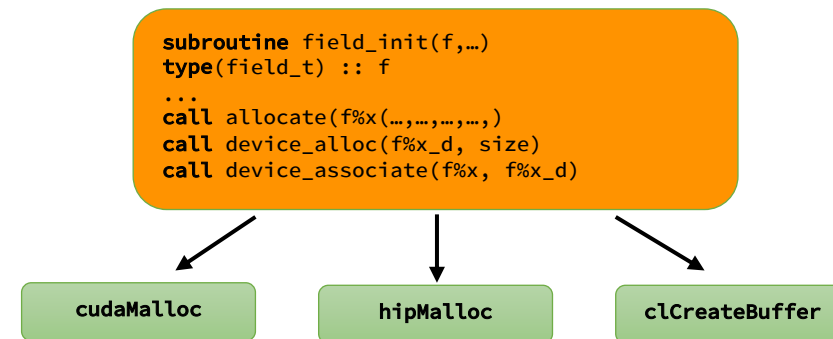
!> Enum @a hipMemcpyKind
enum, bind(c)
  enumerator :: hipMemcpyHostToHost = 0
  enumerator :: hipMemcpyHostToDevice = 1
  ...
end enum

interface
  integer (c_int) function hipMalloc(ptr_d, s) &
    bind(c, name='hipMalloc')
  use, intrinsic :: iso_c_binding
  implicit none
  type(c_ptr) :: ptr_d
  integer(c_size_t), value :: s
end function hipMalloc
end interface
```

- Device pointers in each derived type

```
type field_t
  real(kind=rp), allocatable :: x(:,:,:) !< Field data
  type(space_t), pointer :: Xh !< Function space
  type(mesh_t), pointer :: msh !< Mesh
  type(dofmap_t), pointer :: dof !< Dofmap
  type(c_ptr) :: x_d = C_NULL_PTR !< Device pointer
end type field_t
```

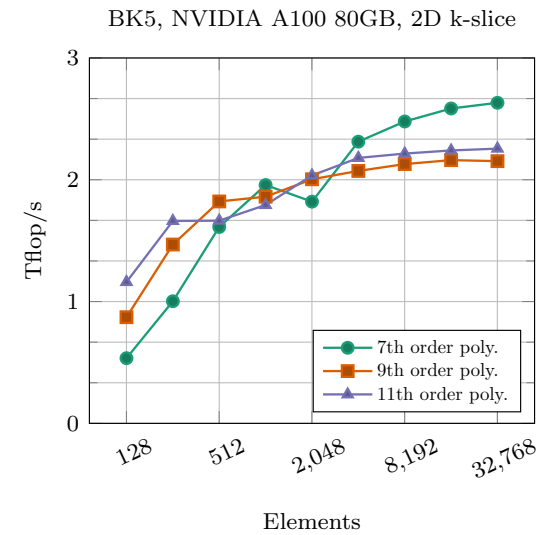
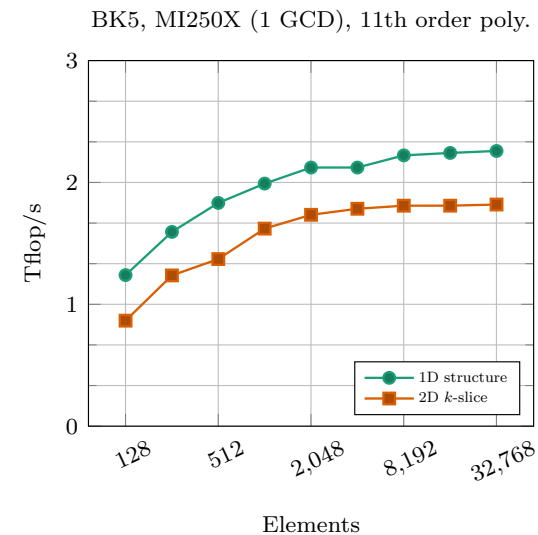
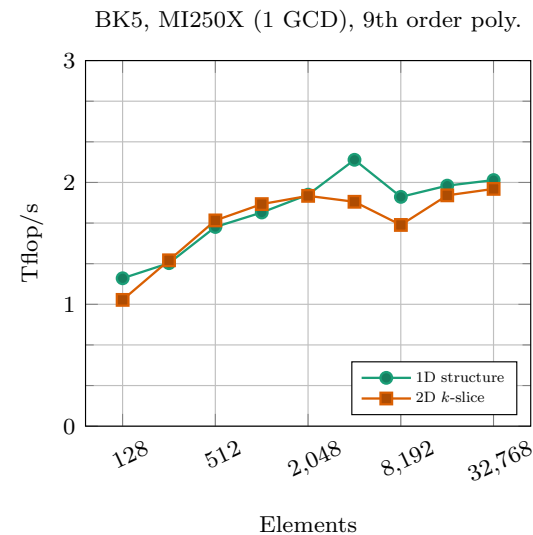
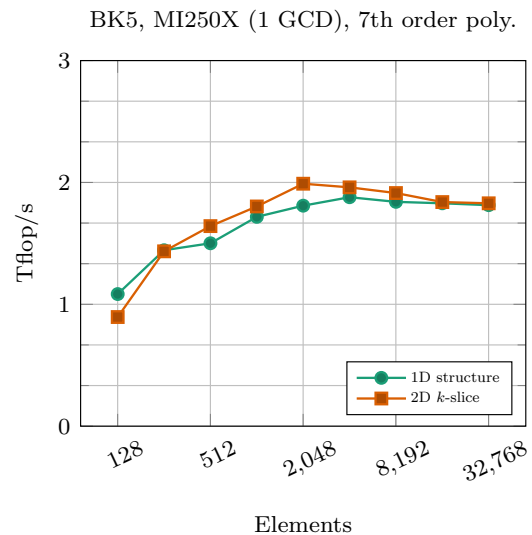
- Abstraction layer hiding memory mgmt.
- Hash table associating x with x_d
- Kernels invoked from the object hierarchy via C interfaces (Ax, vector ops)



Device Kernel Optimisations



- Neko provides **wrapper functions** for each supported accelerator backend
 - **Templated** (CUDA/HIP) or **pre-processor macros** (OpenCL) for runtime parameters
- Shape and mapping of thread blocks to elements
 - **Significant affect on performance**
 - Very different performance on Nvidia and AMD
- **Auto/runtime tuning** based on polyomial order

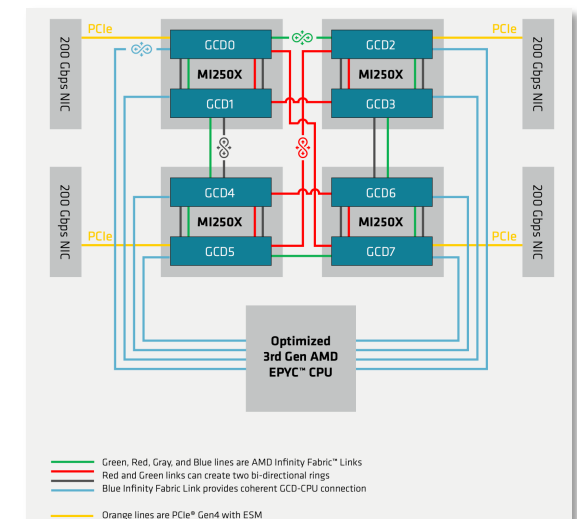
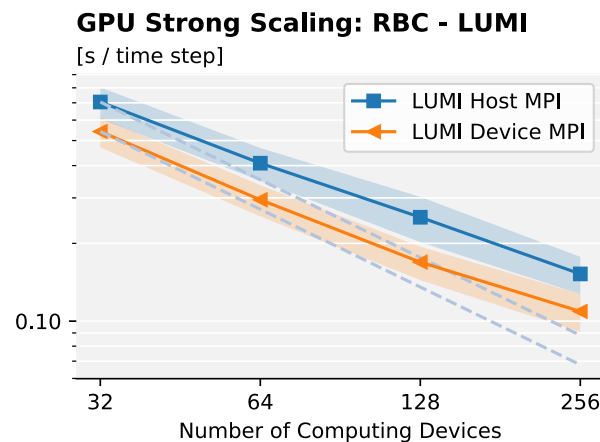
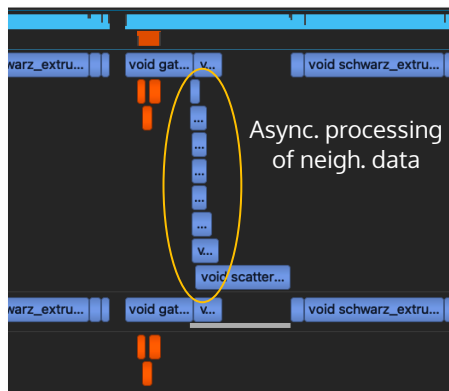
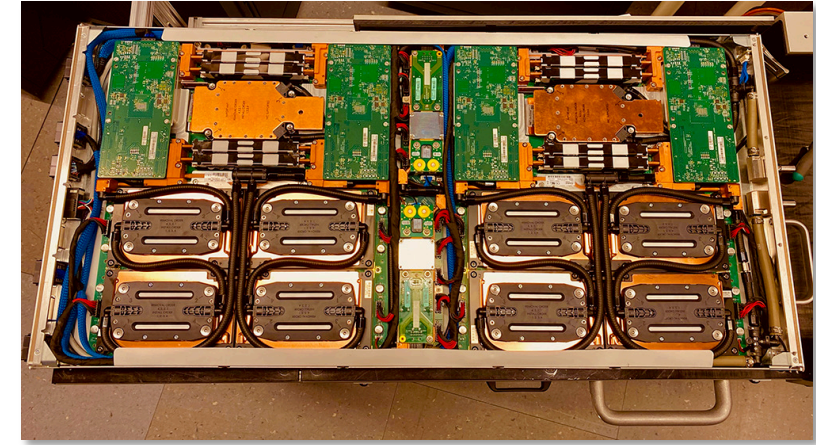


Gather-Scatter – Accelerators



Recent supercomputers (LUMI/Dardel) have the NICs connected directly to the accelerators

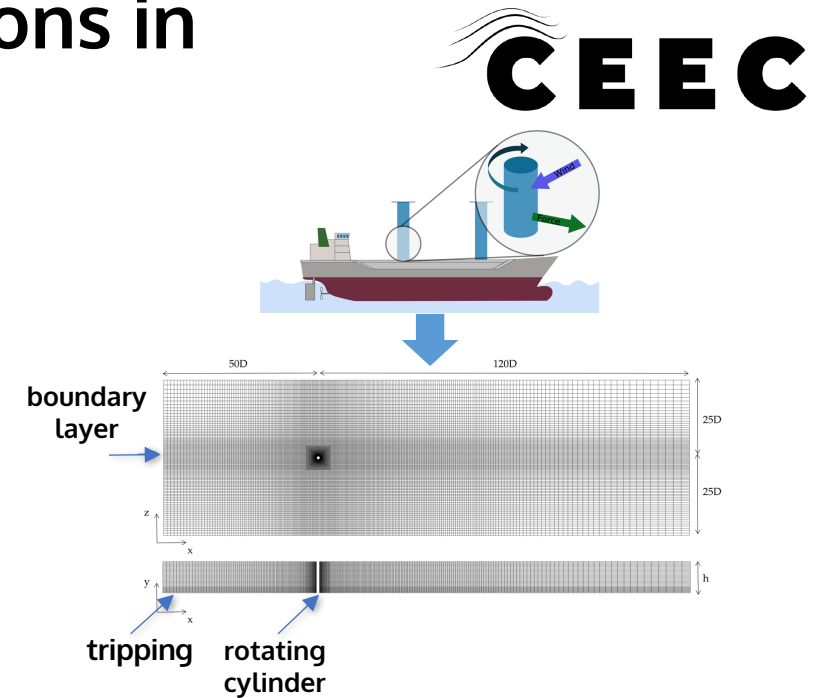
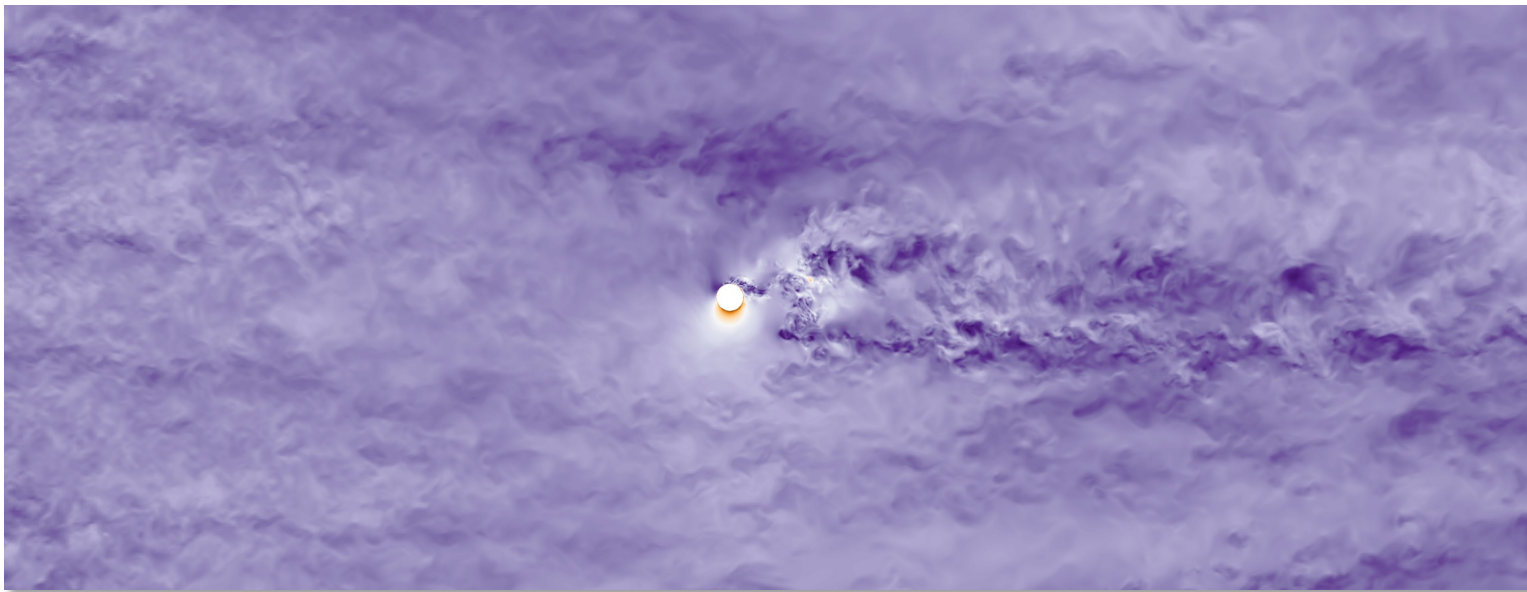
- Nodes have a **complex memory hierarchy**
 - **Avoid memory transfers** at all costs!
- Multiple levels of overlapping communication and computation
 - Overlapping with **non-blocking MPI** (device aware)
 - **Asynchronous** pack/unpack GPU kernels (One stream/neighbour)
 - Auto/runtime tuning of all combinations



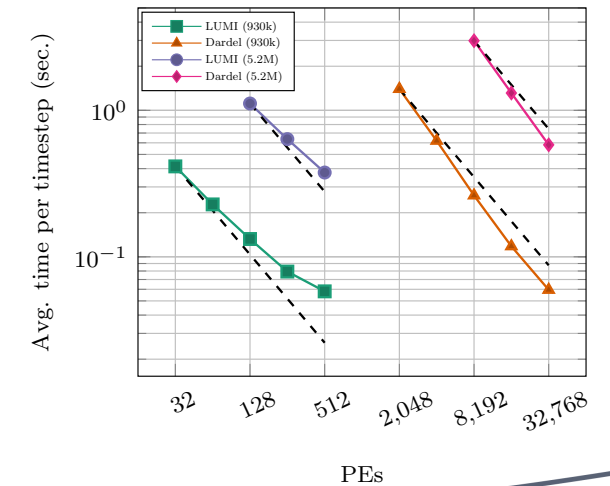
AMD CDNA2 Architecture white paper

Large-scale DNS of turbulence with applications in sustainable shipping

- DNS of the flow around a Flettner rotor at $Re = 30,000$ in a turbulent boundary layer
 - Two different meshes, 930k and 5.2M elements
 - 7th order polynomials (8 GLL points)
- Less than **two days** on LUMI (> two weeks on Dardel...)
 - Spanwise $C_l = 7.464$, experimental data measured 7~8



Neko, 7th order polynomials



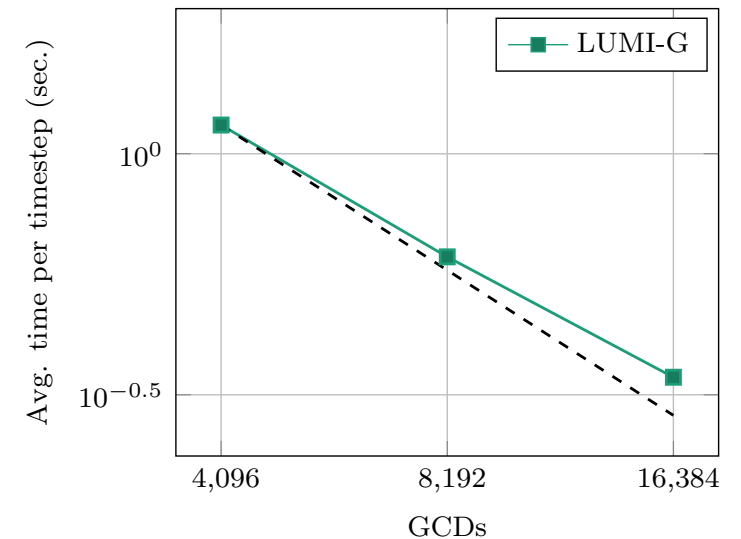
LUMI Hero Run



- Twelve-hour of exclusive access to the world's third-fastest supercomputer
- DNS of flow past a circular cylinder at $Re = 50,000$
 - 113M elements
 - 7th order polynomials (8 GLL points)
- Simulation restarted from prebaked low-order runs
 - Restart checkpoint: 453GB
 - Extrapolated to 7th order polynomials
 - Computed solution (snapshot): 1.5TB
- Preliminary results
 - Achieved close to 80% parallel efficiency
 - Using 20%, 40% and 80% of the entire machine



Cylinder Re 50k, 113M el., 7th order poly.



Summary

- High-order methods are **essential** on current HPC machines
 - More suitable for current hardware and improved accuracy for “free”
- The heterogenous HPC landscape is a **nightmare**
 - Find a suitable level of **abstraction**
 - Use the best tools, **mix languages and programming models**
- Modern software engineering approaches to **ensure (performance) portability**
 - **Automate testing** across various architectures and programming models
 - Deployment: **Spack**, verification & validation: **Reframe**

Jansson, N., Karp, M., Podobas, A., Markidis, S. and Schlatter, P., *Neko: A modern, portable, and scalable framework for high-fidelity computational fluid dynamics*. arXiv preprint arXiv:2107.01243, 2021.

Jansson, N., *Spectral Element Simulations on the NEC SX-Aurora TSUBASA*. In proc. HPCAsia 2021, 2021.

Karp, M., Podobas, A., Kenter, T., Jansson, N., Plesl, C., Schlatter, P. and Markidis, S., *A high-fidelity flow solver for unstructured meshes on field-programmable gate arrays: Design, evaluation, and future challenges*. In proc. HPCAsia 2022, 2022.

Karp, M., Jansson, N., Podobas, A., Schlatter, P., and Markidis, S., *Reducing Communication in the Conjugate Gradient Method: A Case Study on High-Order Finite Elements*. In proc. PASC 2022, 2022.

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**Thank you
for your attention!**



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